

# Design and Evaluation of Different Types of Insulators Using PDE Tool Box

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**Abstract:** This paper presents the analysis of potential and electric distribution characteristics of outdoor polymer insulator. Silicone rubber provides an alternative to porcelain and glass regarding to high voltage (HV) insulators and it has been widely used by power utilities since 1980's owing to their superior contaminant performances. Failure of outdoor high voltage (HV) insulator often involves the solid air interface insulation. As result, knowledge of the field distribution around high voltage (HV) insulators is very important to determine the electric field stress occurring on the insulator surface, particularly on the air side of the interface. Thus, concerning to this matter, this project would analyze the electric field distribution of energized silicone rubber high voltage (HV) insulator. And the simulation results of electric field and potential distributions along surface of silicone rubber polymer insulators under clean and contamination conditions. For comparative purposes, the analysis is based on two conditions, which are silicon rubber insulators with clean surfaces and silicon rubber insulators with effect of water droplets on the insulator surface. Finite element method (FEM) is adopted for this work. The electric field distribution computation is accomplished using MAT LAB-PDE TOOL software that performs two dimensions finite element method. The objective of this work is to comparison of both the alternative shed and straight shed type insulators under the effect of contamination on potential and electric field distributions along the insulator surface when water droplets exist on the insulator surface

**Key Words:** Silicon rubber Insulator, Finite Element method, Electricfielddistribution, Potential distribution.

## I. INTRODUCTION

Silicon rubber composite insulators, which are now extensively accepted, did not come out until 1970s, and Germany is the first country developing and using this kind of insulator. Compared to conventional porcelain and glass insulators, composite insulators such as silicon rubber insulator offer more advantages in its application. For further information, this chapter would mainly discussed issue that related to silicon rubber insulator. The experience of outdoor insulator goes back to the introduction of telegraphic lines, in the 19<sup>th</sup> century. Service experience and product development with high voltage insulators made from glass and porcelain materials have been gathered over more than hundreds years. Porcelain and glass insulators completely dominated the market until the introduction of polymeric alternatives. The first polymeric insulator (epoxy) was made in United State of America in 1959, but it suffered from severe tracking and erosion.

Similarly, for high voltage insulators, during the first three quarters of the 20<sup>th</sup> century, the only material of choice for an outdoor high voltage insulator was porcelain. Natural occurring resins and gums that were available within the early part of the 20<sup>th</sup> century were shellac. Later, in 1907, rubber is created by Dr Baekland synthetic phenol formaldehyde. These two early polymer materials had good indoor properties, but being organic, with a carbon backbone in its chain, had a very poor track resistance. Later, during 1930s and 1940s, newer synthetic resins were developed and some of the earliest polymer insulators were made of butyl and acrylic materials. However, while they enjoy some commercial success, they quickly become obsolete because of high cost, limited manufacturing, versatility and most importantly, inadequate performance for high voltage application in outdoor environments. The development and application of cycloaliphatic epoxy helped to address the resin deficiency but did not able to address the coefficient of thermal expansion problem at the fiberglass rod or housing interface. Compounding materials to correct this compatibility problem resulted in depolymerization of the molded sheds in warm, humid environments which led to electromechanical failure. Structure of a polymer insulator is shown in Fig. 1. The basic design of a polymer insulator is as follows; fiber reinforced plastic (FRP) core, attached with two metal fittings, is used as the load bearing structure. The presence of dirt and moisture in combination with electrical stress results in the occurrence of local discharges causing the material deterioration such as tracking and erosion. In order to protect the FRP core from various environmental stresses, such as ultraviolet, acid, ozone etc., and to provide a leakage distance. Within a limited insulator length under contaminated and wet conditions, weather sheds are installed outside the FRP core. Silicone rubber is mainly used for polymer insulators or composite insulators as housing material.

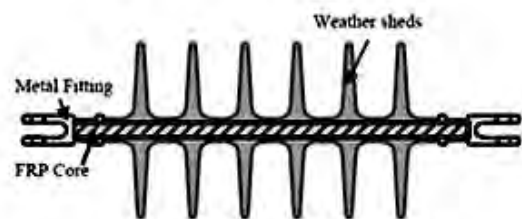


Fig.1 Structure of a polymer insulator

The early development of modern polymeric insulators can be illustrated by the work of the German manufacturer Rosenthal, later called Hoechst Ceram Tec. Their development started in 1964 and prototypes for field installation were offered in 1967. However, it took until middle of the 1970s before a number of manufacturer offered commercial products of the first generation polymeric transmission line insulator [6] as given in Table .1 First generation commercial polymeric transmission line insulator

**TABLE -1**  
**POLYMERIC TRANSMISSION LINE INSULATOR**

COMPANY	HOUSING MATERIAL	YEAR	COUNTRY
Ceraver	EPR*	1975	France
Ohio Brass	EPR	1976	USA
Rosenthal	SIR*	1976	Germany
Sediver	EPR	1977	USA
TDL	CE*	1977	England
Lapp	EPR	1980	USA
Reliable	SIR	1983	USA

- \* Ethylene propylene rubber
- \* Silicon rubber
- \* Cycloaliphatic epoxy

**II. DIMENSIONS OF DIFFERENT TYPES OF INSULATORS:**

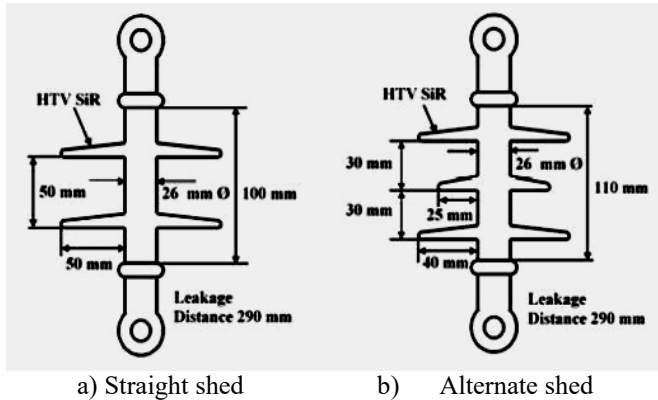


Fig.2.Basic Model Insulator

**III. PROBLEM SOLUTION EQUATION**

**A. Electric field and potential distributions calculation**

One simple way for electric field calculation is to calculate electric potential distribution. Then, electric field distribution is directly obtained by minus gradient of electric potential distribution. In electrostatic field problem, electric field distribution can be written as follows [1]:

$$E = -\nabla V \tag{1}$$

From Maxwell's equation

$$\nabla E = \rho / \epsilon \tag{2}$$

Where  $\rho$  is resistivity  $\Omega/m$ ,

$\epsilon$  is material dielectric constant ( $\epsilon = \epsilon_0 \epsilon_r$ ) and  $\epsilon_0$  is free space dielectric constant ( $8.854 \times 10^{-12} F/m$ )

$\epsilon_r$  is relative dielectric constant of dielectric material placing equation(1) into equation(2) Poisson equation is obtained.

$$\epsilon \nabla(\nabla V) = -\rho \tag{3}$$

Without space charge  $\rho=0$ , poissions equation becomes Laplace equation

$$\nabla \epsilon(\nabla V) = 0 \tag{4}$$

**B. FEM analysis of the electric field distribution:**

The finite element method is one of numerical analysis methods based on the variation approach and has been Widely used in electric and magnetic field analysis since the late 1970s. Supposing that the domain under consideration does not contain any space and surface charges, two-dimensional functional  $F(u)$  in the Cartesian system of coordinates can be formed as follows[2]:

$$F(u) = \frac{1}{2} \int_D \left[ \epsilon_x \left( \frac{du}{dx} \right)^2 + \epsilon_y \left( \frac{du}{dy} \right)^2 \right] dx dy \tag{5}$$

Where  $\epsilon_x$  and  $\epsilon_y$  are x- and y-components of dielectric constant in the Cartesian system of coordinates and u is the electric potential. In case of isotropic permittivity distribution ( $\epsilon = \epsilon_x = \epsilon_y$ ) Equation (5) can be rewritten ass

$$F(u) = \frac{1}{2} \epsilon \int_D \left[ \left( \frac{du}{dx} \right)^2 + \left( \frac{du}{dy} \right)^2 \right] dx dy \tag{6}$$

If the effect of dielectric loss on the electric field Distribution is considered, the complex functional  $F(u)$  should be taken into account as

$$F(U) = \frac{1}{2} \int_D \omega \epsilon_0 (\epsilon - j \epsilon \cdot tg \delta) \left[ \left( \frac{du}{dx} \right)^2 + \left( \frac{du}{dy} \right)^2 \right] dx dy \tag{7}$$

where  $\omega$  is angular frequency  $\epsilon_0$  is the permittivity of free space ( $8.85 \times 10^{-12} F/m$ ),  $tg \delta$  is tangent of the dielectric loss angle, and u is the complex potential. Inside each sub domain  $D_e$  a linear variation of the electric potential is assumed.

$$u_e(x, y) = \alpha_{e1} + \alpha_{e2}x + \alpha_{e3}y; (e = 1,2,3, \dots, ne) \tag{8}$$

Where  $u_e(x, y)$  is the electric potential of any arbitrary point inside each sub-domain  $D_e$ ,  $\alpha_{e1}$ ,  $\alpha_{e2}$  and  $\alpha_{e3}$  represent the computational coefficients for a triangle element  $e$ ,  $n_e$  is the total number of triangle elements. The calculation of the electric potential at every knot in the total network composed of many triangle elements was carried out by minimizing the functional  $F(u)$ , that is,

$$\frac{\partial F(u_i)}{\partial u_i} = 0; i = 1, 2, \dots, np \quad (9)$$

Where  $np$  stands for the total number of knots in the network then a compact matrix expression

$$[s_{ji}] \{u_i\} = \{T_j\} \quad i, j = 1, 2, 3, \dots, np \quad (10)$$

Where  $[s_{ji}]$  the matrix of coefficients is,  $\{u_i\}$  is the vector of unknown potentials at the knots and  $\{T_j\}$  is the vector of free terms. After (10) is successfully formed, the unknown potentials can be accordingly solved.

#### IV. IMPLEMENTATION OF FEM

There are several methods for solving partial differential equation such as Laplace's and Poisson equation. The most widely used methods are Finite Difference Method (FDM), Finite Element Method (FEM), Boundary Element Method (BEM) and Charge Simulation Method (CSM). In contrast to other methods, the Finite Element Method (FEM) takes into accounts for the no homogeneity of the solution region. Also, the systematic generality of the methods makes it a versatile tool for a wide range of problems. The following topics in this chapter would describe briefly on the concept of Finite Element Method (FEM)

Straight sheds polymer insulator was selected to simulate electric field and potential distributions in this study. The basic design of a polymer insulator is as follows; A fiber reinforced plastic (FRP) core having relative dielectric constant of 7.1, attached with two metal fittings, is used as the load bearing structure. Weather sheds made of HTV silicone rubber having relative dielectric constant of 4.3 are installed outside the FRP core. Surrounding of the insulator is air having relative dielectric constant 1.0. A 15 kV voltage source directly applies to the lower electrode while the upper electrode connected to ground. Two dimensions of the alternate sheds polymer insulators for FEM analysis are shown in Fig. 3 The most common form of approximation solution for the voltage within an element is polynomial approximation. PDE Tool in MATLAB issued for finite element discretization. The obtaining results are 1,653 nodes and 3,180 elements for straight sheds type insulator and 2,086 nodes and 4,030 elements for alternate sheds type insulator, respectively. The obtaining results are shown in Fig.4

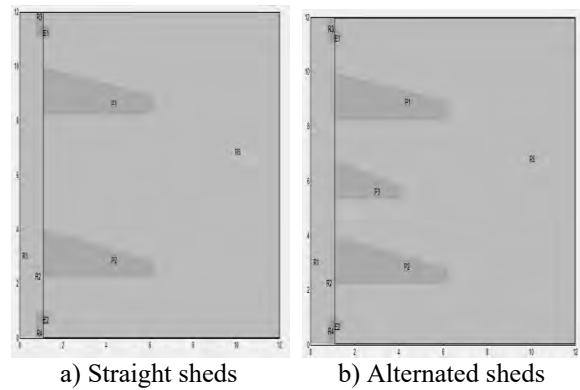


Fig 3. Two dimension of the two type polymer insulators for FEM analysis

The whole problem domains in Fig. 5 are fictitiously divided into small triangular areas called domain. The potentials, which were unknown throughout the problem domain, were approximated in each of these elements in terms of the potential in their vertices called nodes. Details of Finite Element discretization are found in [5]. The most common form of approximation solution for the voltage within an element is a polynomial approximation. PDE Tool in MATLAB is used for finite element discretization. The results of FEM discretization for clean and contamination conditions illustrate in Fig. 4

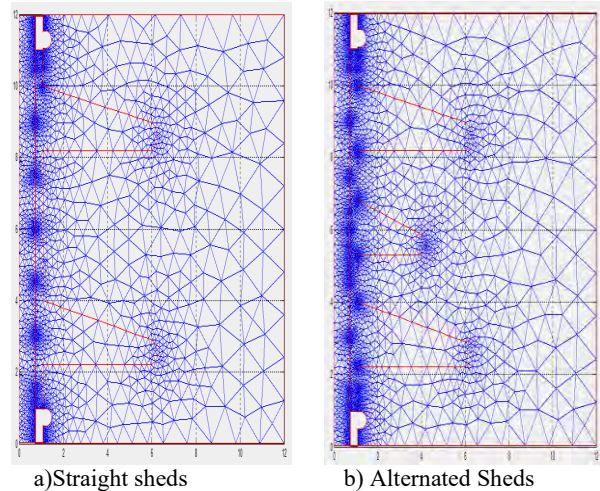


Fig4. Finite element discretization results

#### V. SIMULATION RESULTS AND DISCUSSIONS

In this study, clean and contamination conditions are simulated using FEM via PDE Tool in MATLAB. Potential Distribution results are shown in Fig. 5(c) and electric field distribution are shown in Fig. 5(d). Comparison of potential and electric field distribution along surface of the two type polymer insulators are shown in Fig.5 and Fig. 6, respectively. Although nonlinear potential distribution along leakage distance of the two type specimens, no significant different can be seen on the straight sheds specimen

comparing with the alternate shed specimen, as shown in Fig. 9 In spite of clean condition, electric field distribution on the straight sheds specimen is slightly higher than the alternate sheds specimen as shown in Fig 9. Contamination condition is simulated by place 12 water droplets on the two type insulator surfaces as shown in Fig. 7a and Fig. 8a. The simulation results of electric field and potential distributions are illustrated in Fig. 7(c) and Fig.8(c), respectively. Comparison of potential and electric field distribution along surface of the two type polymer insulators are shown in Fig. 9. In case of contamination condition, although nonlinear potential distribution along leakage distance of the two type specimens, no significant different can be seen on the straight sheds specimen comparing with the alternate shed specimen, as shown in Fig.7.

The Results on Electric field and potential distributions for a straight sheds insulator as shown in blow Figs.

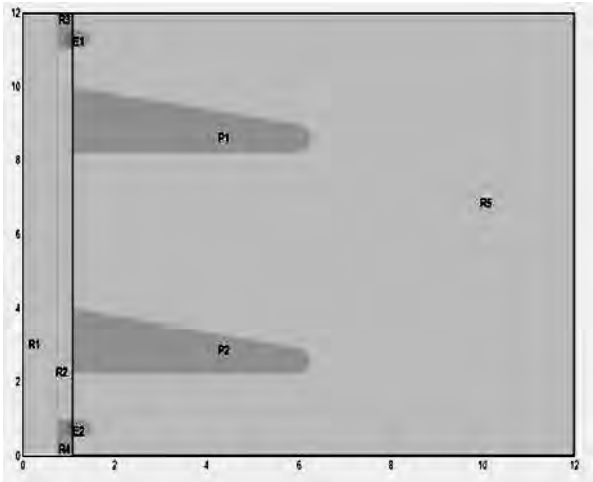


Fig5. (a). Straight Sheds Insulator

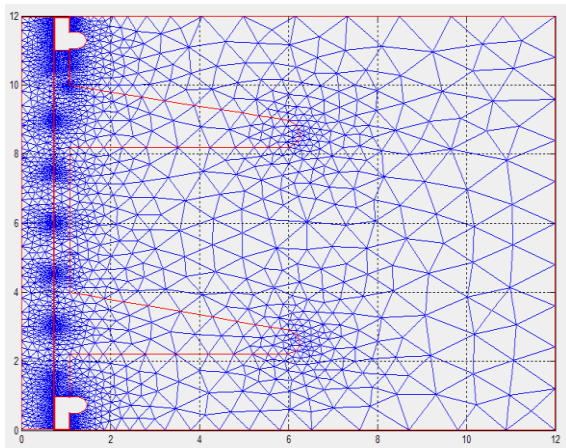


Fig5. (b). Finite element discretization results

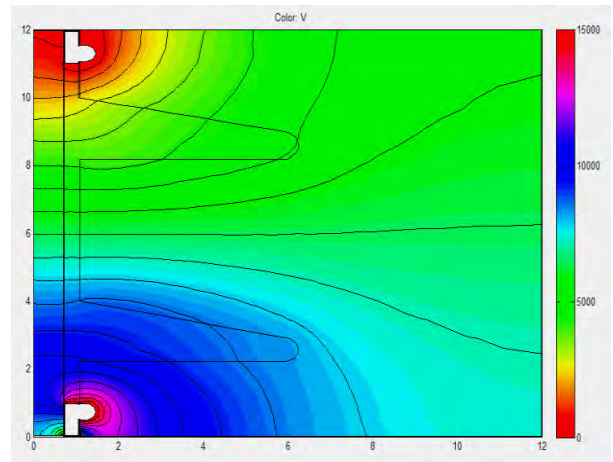


Fig5. (c) Potential distribution under clean condition

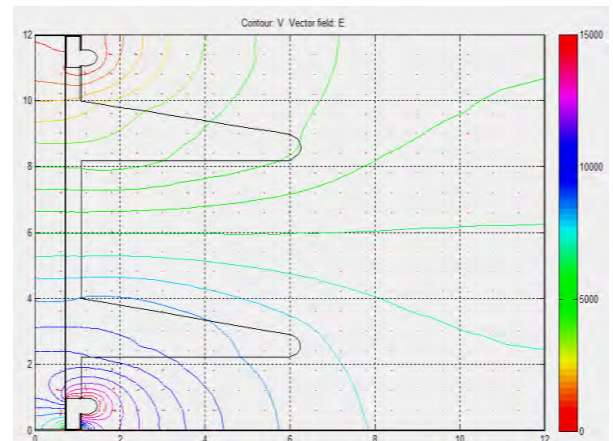


Fig5. (d). Electric field distribution under clean condition

The Results on Electric field and potential distributions for a Alternate sheds insulator as shown in blow Figs.

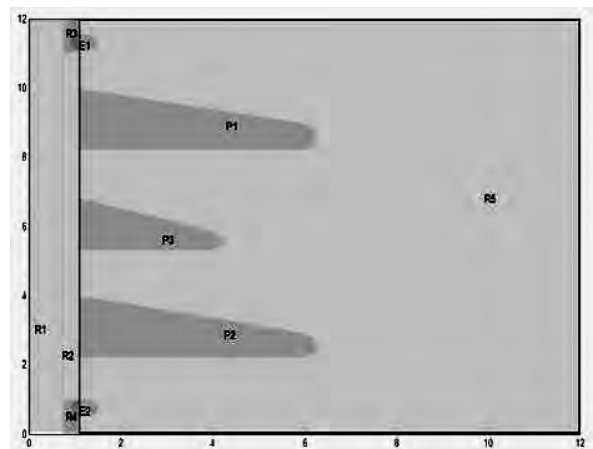


Fig6. (a). Alternated sheds insulator

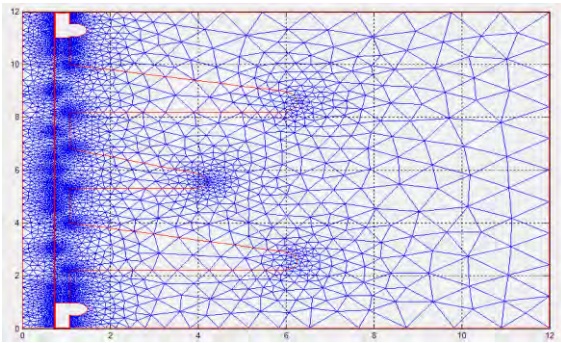


Fig6. (b). Finite Element Discretization

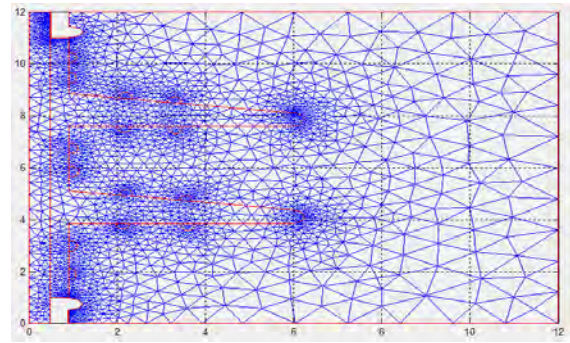


Fig7. (b). Finite Element Discretization

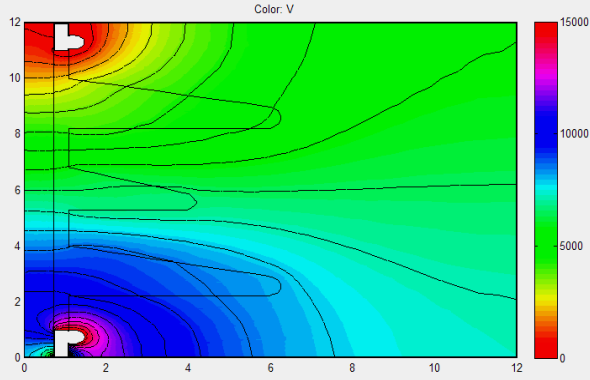


Fig6. (c). Potential Distribution under clean Contamination

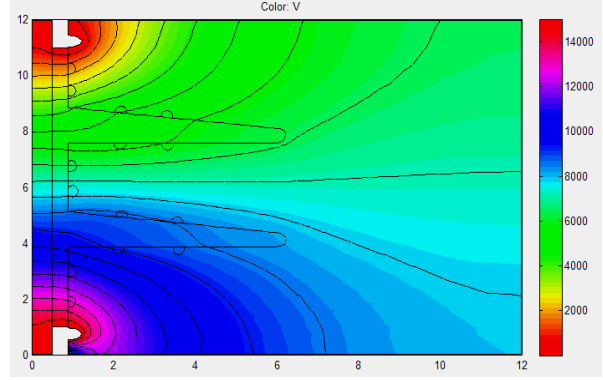


Fig7. (c). Potential Distribution with contamination

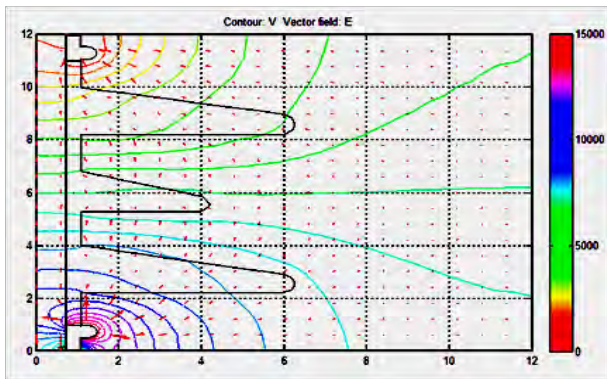


Fig6. (d). Electric Field Distribution under clean Contamination

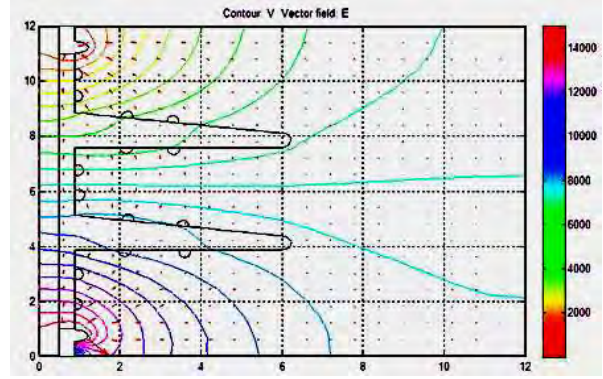


Fig7. (d). Electric Field Distribution under Contamination

The Results on Electric field and potential distributions for a Straight sheds insulator under contamination as shown in blow Figs.

The Results on Electric field and potential distributions for a Alternate sheds insulator under contamination as shown in blow Figs.

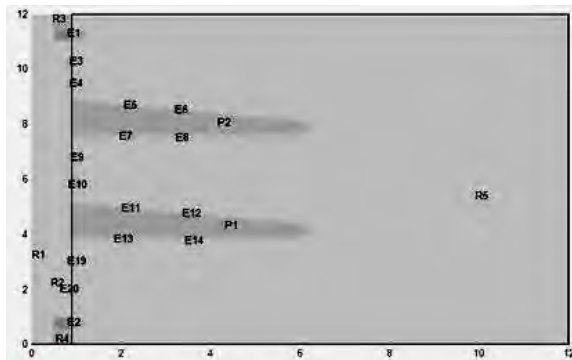


Fig7. (a). Straight Sheds insulator with Contamination

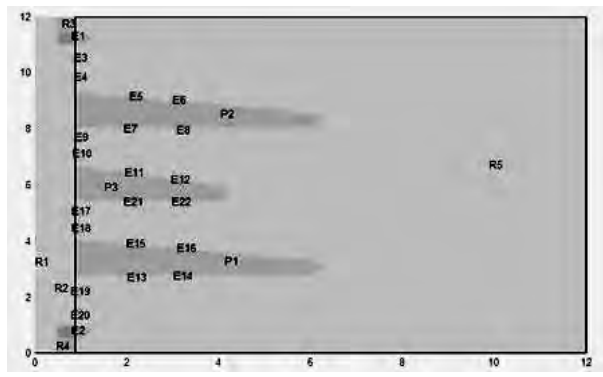


Fig8. (a). Alternated shed insulator with Contamination

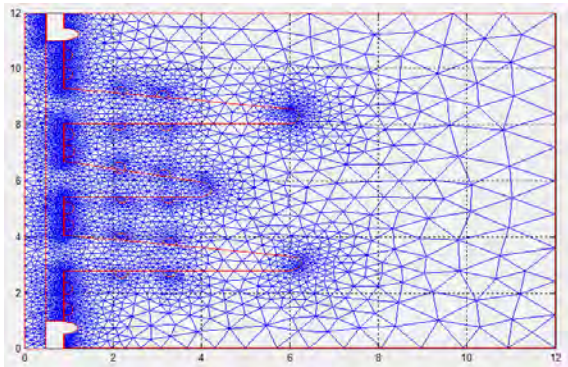


Fig8. (b). Finite element discretization results

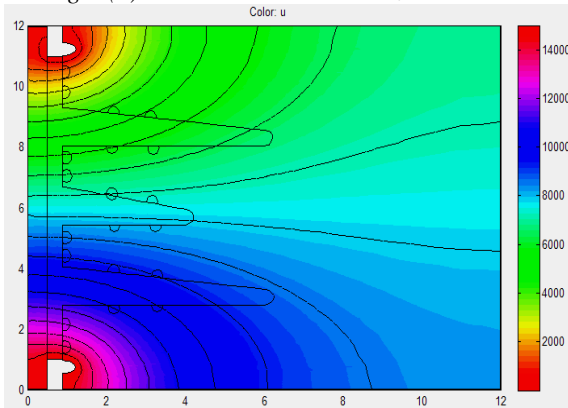


Fig8. (c). Potential Distribution under contamination

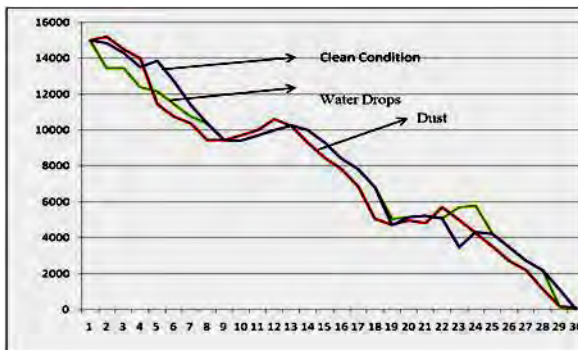


Fig.9 Comparison of Potential Distribution under contamination condition

The Fig.9 shows the comparison of straight shed & alternate shed with different environments conditions like water, dust and it gives the information that potential distribution of the straight shed insulator is large than that of alternate shed type insulator

## VI. CONCLUSION

In this paper, electric field and potential distributions on Straight sheds & Alternate shed silicone rubber polymer insulators under clean and various contamination conditions were investigated by using FEM Considering a silicon rubber surface with water droplets & dust as contamination on the surface of the silicon rubber. And concluded that potential distribution of the straight shed insulator is large than that of alternate shed type insulator. This situation is has potential to initiate sport discharges and possible flashover within operating conditions.

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